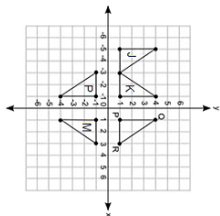


The figure shows triangle PQR and some of its transformed images on a coordinate grid:

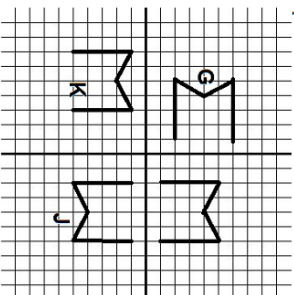


Which of the four triangles was formed by a rotation of triangle PQR 180 degrees about the origin?

- a. P  
b. J  
c. K  
d. M

wl\_pre-alg\_02\_08\_examples\_notes.gnw - 3/16 - Sun May 08 2016 14:51:05

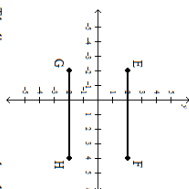
Which of the images was formed by a reflection of the letter M located in quadrant I?



- a. K  
b. J  
c. G  
d. none of the other choices

v1\_pre-fig\_02\_08\_examples\_notes.gwb - 2/16 - Sun May 08 2016 14:50:42

The figure shows a pair of parallel lines on a coordinate grid.

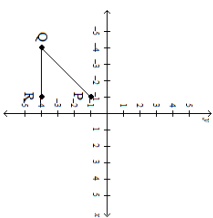


The line segments are translated 4 units to the left to form  $E'F'$  and  $G'H'$ . Which statement describes  $E'F'$  and  $G'H'$ ?

- Line segments  $EF$  and  $GH$  intersect at  $(-4, 0)$  and are four times farther apart than  $EF$  and  $GH$ .
- Line segments  $EF$  and  $GH$  intersect at  $(0, -4)$  and are four times farther apart than  $EF$  and  $GH$ .
- Line segments  $EF$  and  $GH$  do not intersect and are the same distance apart as  $EF$  and  $GH$ .
- Line segments  $EF$  and  $GH$  do not intersect and are closer together than  $EF$  and  $GH$ .

vl\_pre-alg\_02\_08\_examples\_notes.gwb - 4/16 - Sun May 08 2016 14:52:07

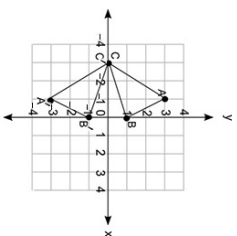
Angle PQR is formed by segments PQ and QR on the following coordinate grid:



Angle  $\text{PQR}$  is rotated 90 degrees counterclockwise about the origin to form angle  $\text{P'Q'R'}$ . Which statement shows the measure of angle  $\text{P'Q'R'}$ ?

- $m\angle P'Q'R' = 2 \bullet m\angle PQR$
- $m\angle P'Q'R' = m\angle PQR$
- $m\angle P'Q'R' = 180$  degrees
- $m\angle P'Q'R' = 90$  degrees

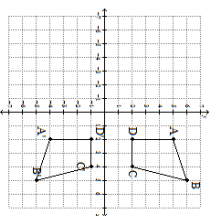
Triangle ABC is transformed to triangle  $A'B'C'$ , as shown below:



Which equation shows the correct relationship between the measures of the angles of the two triangles?

- $m\angle CAB = m\angle C'A'B'$
- $m\angle BCA = m\angle C'A'B'$
- $m\angle CAB = m\angle C'B'A'$
- $m\angle BCA = m\angle A'B'C'$

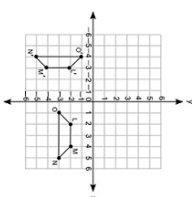
Figure ABCD is transformed to figure  $A'B'C'D'$ , as shown:



Which of the following sequences of transformations is used to obtain figure  $A'B'C'D'$  from figure ABCD?

- Counterclockwise rotation by  $270^\circ$  degrees about the origin followed by a translation to the right by 1 unit
- Clockwise rotation by  $90^\circ$  degrees about the origin followed by a translation to the left by 1 unit
- Reflection about the  $x$ -axis followed by a translation to the up by 1 unit
- Reflection about the  $y$ -axis followed by a translation to the right by 1 unit

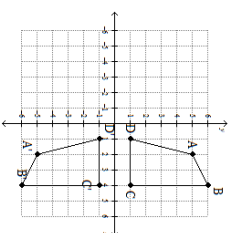
Polygons LMNO and  $L'M'N'O'$  are shown on the following coordinate grid:



What set of transformations is performed on LMNO to form  $L'M'N'O'$ ?

- A  $90^\circ$ -degree clockwise rotation about the origin followed by a translation 1 unit to the left
- A translation 1 unit to the right followed by a  $270^\circ$ -degree clockwise rotation about the origin
- A translation 1 unit to the left followed by a  $90^\circ$ -degree counterclockwise rotation about the origin
- A  $270^\circ$ -degree clockwise rotation about the origin followed by a translation 1 unit to the right

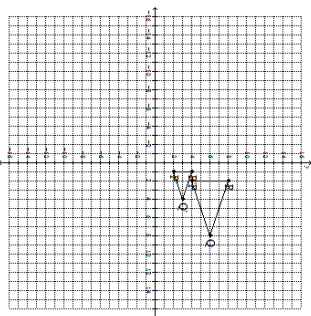
Figure ABCD is transformed to figure  $A'B'C'D'$ , as shown:



Which of the following statements best describes the relationship of the two figures?

- Figure  $ABCD$  is smaller than figure  $A'B'C'D'$ .
- The measure of angle  $A$  is equal to the measure of angle  $D'$ .
- Figure  $ABCD$  is congruent to figure  $A'B'C'D'$ .
- The measure of angle  $C$  is equal to the measure of angle  $B$ .

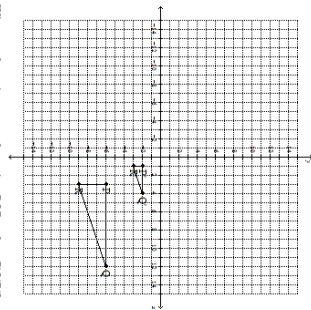
Triangle PQR is transformed to similar triangle P'Q'R'.



What is the scale factor of dilation?

- a.  $\frac{1}{2}$
- b. 1
- c.  $\frac{1}{4}$
- d. 2

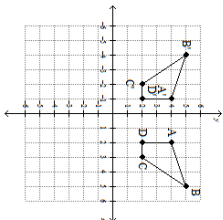
Triangle PQR is transformed to similar triangle P'Q'R'.



What transformation was performed on PQR to form P'Q'R'?

- a. A dilation factor of 4
- b. A dilation factor of  $\frac{1}{2}$
- c. A dilation factor of  $\frac{1}{3}$
- d. A dilation factor of 3

Which statement is true about the transformation of figure ABCD to figure A'B'C'D', as shown?



- a. Reflection about the y-axis followed by a translation to the right by 1 unit
- b. Counterclockwise rotation by 70 degrees about the origin followed by a translation to the right by 1 unit
- c. Reflection about the x-axis followed by a translation to the up by 1 unit
- d. Clockwise rotation by 90 degrees about the origin followed by a translation to the right by 1 unit

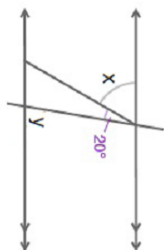
A pair of parallel lines is cut by a transversal, as shown:



Which of the following best represents the relationship of angles p and q?

- a.  $m\angle q = 180 \text{ degrees} - m\angle p$
- b.  $m\angle p = m\angle q$
- c.  $m\angle p = 2(m\angle q)$
- d.  $m\angle p = 180 \text{ degrees} - m\angle q$

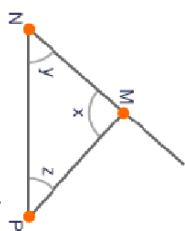
A pair of parallel is cut by a transversal.  $y = 84$  degrees.



How many degrees is  $x$ ?

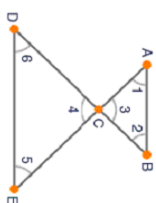
- a. 48 degrees
- b. 84 degrees
- c. 104 degrees
- d. 64 degrees

Which statement is always true for the following picture:



- a.  $x + y + z = 90$  degrees
- b.  $x + y + z = 180$  degrees
- c.  $x + z = y$
- d.  $y + z = x$

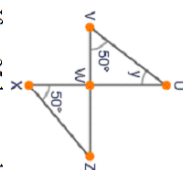
The figure shows two parallel lines  $AB$  and  $DE$  cut by the transversals  $\overline{AE}$  and  $\overline{BD}$ :



Which statement best explains the relationship between  $\triangle ACB$  and  $\triangle ECD$ ?

- a.  $\triangle ACB \cong \triangle ECD$ , because  $m \angle 3 = m \angle 2$  and  $m \angle 1 = m \angle 6$
- b.  $\triangle ACB \sim \triangle ECD$ , because  $m \angle 3 = m \angle 4$  and  $m \angle 1 = m \angle 5$
- c.  $\triangle ACB \sim \triangle ECD$ , because  $m \angle 3 = m \angle 6$  and  $m \angle 1 = m \angle 4$
- d.  $\triangle ACB \cong \triangle ECD$ , because  $m \angle 3 = m \angle 5$  and  $m \angle 1 = m \angle 2$

The image shown is two similar triangles:



If  $y = 25$  degrees, what is the measure of angle  $Z$  and why?

- a. 75 degrees,  $\triangle UVW \sim \triangle XYZ$
- b. 25 degrees,  $\triangle UVW \sim \triangle XYZ$
- c. 66 degrees,  $\triangle UVW \sim \triangle XYZ$
- d. 61 degrees,  $\triangle UVW \sim \triangle XYZ$